### 3080/GV10 - Exercises

#### **Exercise 1:**

Consider the following scene configuration, where P1(0,0,0), P2(1,0,0), P3(1,1,0), P4(0,1,0), P5(0,1,1), P6(0,0,1), P7(1,0,1), P8(1,1,1) and C(1,2,2). Calculate the coordinate of each point Pi in the camera coordinate system, centred in C and pointing at P1, with a VUV(-1, -1, 1).



### **Exercise 2:**

Calculate the transformation matrix  $M_{WC}$ -><sub>VC</sub> when:

- VRP (10,20,20),
- VUV(1, 1, -1)
- the camera points at (0,0,10) in the WC system.

What is the matrix  $M_{VC}$ -><sub>WC</sub> that maps the View Coordinates to the World Coordinates?

## **Exercise 3:**

Consider the scene configuration of Figure 1 and monochromatic light. Using ray casting, calculate the intensity to display at point p.



The input parameters are:

Light intensity for L1  $I_1$ = 10, Light intensity for L2  $I_2$ = 20, Ambient light intensity  $I_a$ = 5, Background intensity  $I_b$  = 0.5

Material property:

- object 1, on which the ray intersects in p1:  $K_d=0.4$ ,  $K_s=0.2$ ,  $K_a=0.1$ , m=0.5
- object 2, on which the ray intersects in p2:  $K_d=0.2$ ,  $K_s=0.4$ ,  $K_a=0.1$ , m =0.5

# **Exercise 4:**

Apply the ray-tracing algorithm to compute the colour of pixel p for a monochromatic light, given the following scene configuration, with:

Intensity of light L = 1.0, Intensity of ambient colour = 0.1, Background colour = 0.1 Material of surface A: Ka = 0.2, Kd = 0.3, Ks = 0.2, m = 2, Kt = 0 Material of surface B: Ka = 0.1, Kd = 0.01, Ks = 0.3, m = 3, Kt = 0.3 Material of surface C: Ka = 0.2, Kd = 0.3, Ks = 0.1, m = 1, Kt = 0

cos(0) = 1, cos(5)=0.99, cos(7.5)=0.98, cos(15)=0.96, cos(30)=0.87, cos(45)=0.71, cos(60)=0.5



# **Exercise 5:**

A light source is situated at L(0,10,-2). Calculate the intensity at each point P<sub>1</sub>(-3,5,-10), P<sub>2</sub>(-3, -3,-5), P<sub>3</sub> (5,-5, -10), of a polygon, for each primary ray cast from the centre of projection situated at COP(0,0,10). The parameters are the following:  $I_a = (10,10,10)$ ,  $K_a = (0.3,0.3,0.3)$ ,  $K_d = (0.1, 0.1, 0.4)$ ,  $K_s = (0.2, 0.2, 0.2)$ , m = 1,  $I_L = (20,20,20)$ .