

28<sup>th</sup> Jan SampleRate: bit rate adaptation in 802.11 wireless networks

30<sup>th</sup> Jan MRD: exploiting radio link diversity with multiple access points

Monday (Lectures cancelled due to weather)

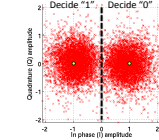
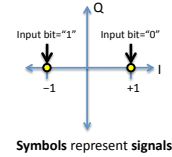
Tuesday ExOR: wireless mesh opportunistic routing

**Today SampleWidth: channel width adaptation  
Interference cancellation for wireless LANs**

## Recap: additive noise model

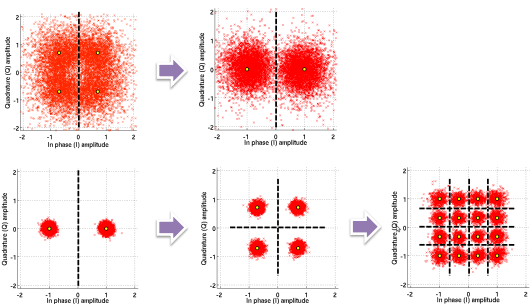


$$\text{channel model: } r(t) = s(t) + n(t)$$



Symbols represent signals

## Bit rate adaptation by changing modulation

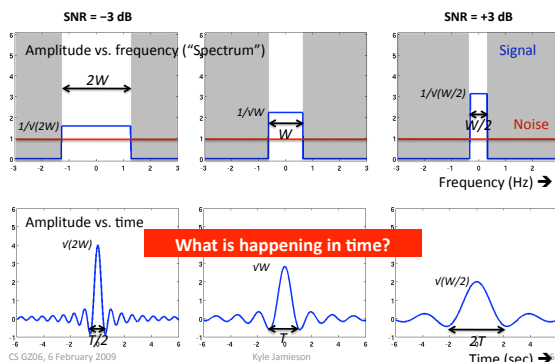


$$\text{Map } b = \log_2 |C| \text{ bits per symbol time } T$$

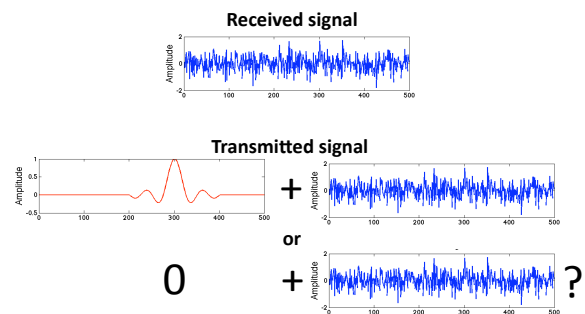
## Agenda

- How to best detect the transmitted signals?
- **SampleWidth** [Chandra et al., SIGCOMM '08]
- Is the channel that simple?
- **Successive interference cancellation** [Halperin, Anderson, Wetherall, MobiCom '08]

## Narrower band, higher SNR

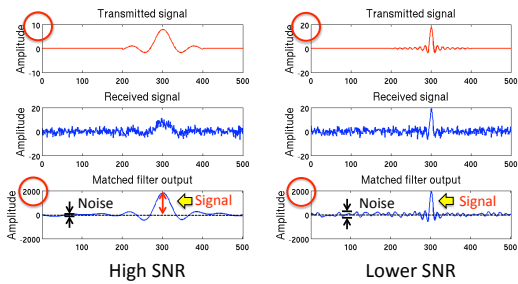


## Is it just noise, or a signal in noise?

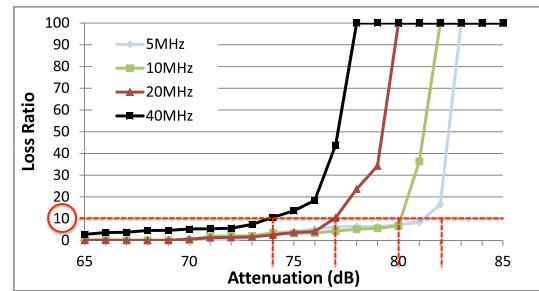


## Narrower matched filter reduces noise

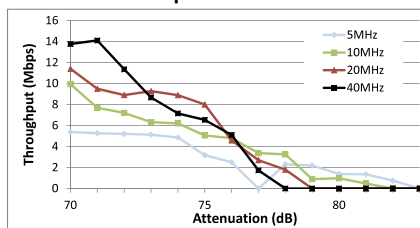
Narrower signal  $\rightarrow$  narrower matched filter



## Lower channel width, lower loss rate



## Channel widths: potential for improvement



Similar motivation to SampleRate: can adapt to stay at best throughput.

## The SampleWidth algorithm

- Find best channel width over one link
  - Challenge: 2-D search space (with bit rate)
- Start at narrowest, adapt when have data
- Probe different widths
  - Probe only adjacent
  - Probe only if disconnection unlikely

## SampleWidth: algorithm details

Rule 1:

$R_{cur} < \alpha$  Mbps  $\rightarrow$  probe narrower

$R_{cur} > \beta$  Mbps  $\rightarrow$  probe wider

Rule 2:

Else, choose  $B_i$ :  $\max_i \{T_i\}$

Choosing  $\alpha$ ,  $\beta$ :

$$E_{SW}(\alpha, \beta) = \frac{T_{SW}(\alpha, \beta)}{T_{OPT}}$$

$B_i$	thruput $T_i$	bit rate $R_i$
40 MHz	-	-
20 MHz	$T_{cur}$	$R_{cur}$
10 MHz	-	-
5 MHz	-	-

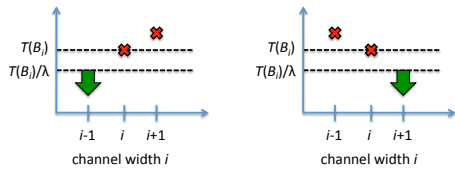
	$\beta = 12$	$\beta = 18$	$\beta = 24$	$\beta = 36$
$\alpha = 6$	0.20	0.20	0.20	0.20
$\alpha = 9$	0.47	0.94	0.70	0.66
$\alpha = 12$	0.47	0.94	0.70	0.66
$\alpha = 18$	0.47	0.91	0.69	0.63

## Sampling vs switching

- Probing based on bit rates ( $<\alpha$ ,  $>\beta$ )
- Switching based on throughput
- Distinguish between:
  - Poor link quality  $\rightarrow$  probe and move narrower
  - High contention  $\rightarrow$  probe but stay wide

## Does SW get stuck in local minima?

No local minimum condition ( $\lambda > 1$ ):



Smoothness at  $B_i$ :

$$S(B_i) = \max \left\{ \frac{T(B_i)}{T(B_{i-1})}, \frac{T(B_i)}{T(B_{i+1})} \right\}$$

Smoothness:

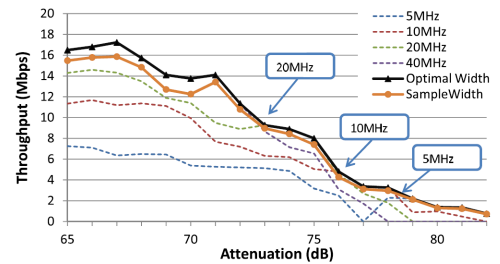
$$S = \min_i S(B_i) \geq 1 \text{ for convergence}$$

1	2	3	4	5	6	7	8	9	
S	1.50	1.50	1.51	1.53	1.43	1.6	1.47	1.6	1.63

No. ✓

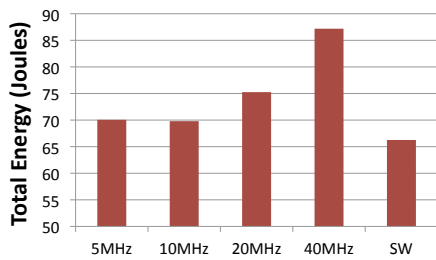
## SampleWidth Evaluation

- SampleWidth adapts to best throughput width

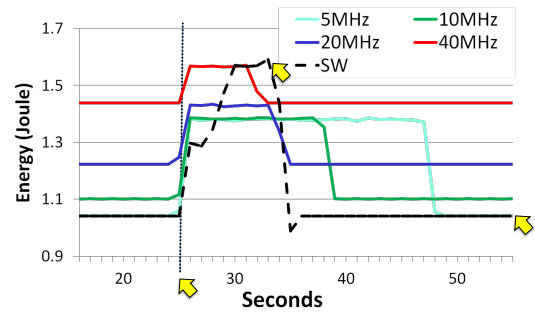


## SampleWidth saves energy

Experiment: two laptops; idle 25 seconds, then transfer 20 MB file

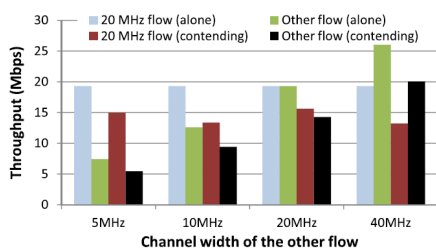


## How SampleWidth saves energy



## Interoperability issues

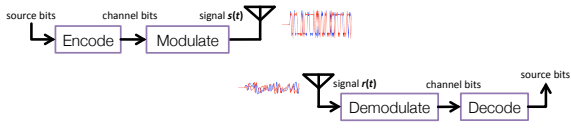
- Virtual carrier sensing will not work
- Can flows on different widths co-exist?



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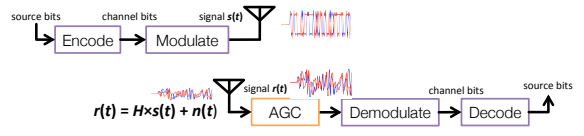
# The fading wireless channel



Simple fading channel model:  $r(t) = H \times s(t) + n(t)$ , ( $H$  real)



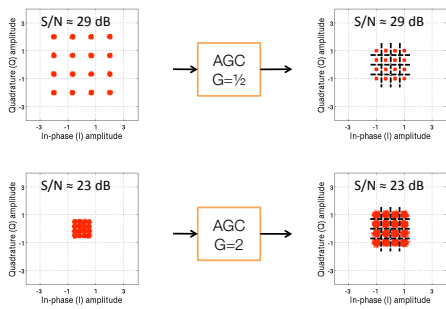
# Our revised receiver for the fading channel



$$r(t) = H \times s(t) + n(t)$$

AGC output = Gain  $G$   $\times$  input  
SNR stays the same

# Automatic gain control example



[Figure: Johnson and Sethares, [Telecommunication Breakdown](#)]

# Fading varies with time

